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Econ 211C Final

Instructions

- 1. You may not discuss this exam with any other person in any way ("discuss" includes any form of electronic communication).
- 2. You may only reference course materials: notes, textbook and files posted on the Econ 211C website. You may not use Wikipedia, Google or any other online or physical reference.
- 3. Print (do not sign) your name below. By doing this you pledge to obey and follow the UCSC Academic Integrity policy and to abide by the instructions above.
- 4. Include this cover sheet (with your name printed below) with your solutions.

Consider the asset pricing model:

$$E\left[\beta \frac{u'(C_{t+1})}{u'(C_t)}(1+r_{t+1})\right] = 1,$$

where C_t is consumption for a representative agent, β is a time discount factor and r_{t+1} is the return on any asset between times t and t+1. Further, suppose that the period utility function is

$$u(C) = \begin{cases} \frac{C^{1-\gamma}}{1-\gamma} & \text{if } \gamma > 0 \text{ and } \gamma \neq 1\\ \log(C) & \text{if } \gamma = 1. \end{cases}$$

a. (20 points)

Using C_t , C_{t-1} , r_t and r_{t-1} as instruments, explicitly write the GMM moment conditions for this problem.

Solution:

Download the data file from the Econ 211C website. Note: to read this file into use a command such as . This data set has four columns:

- 1. Year.
- 2. Quarter of the year.
- 3. Quarterly, real, per capita personal consumption expenditures (2005 chained dollars).
- 4. Quarterly returns for asset SPY, which is an exchange traded fund that marks the S&P 500.

b. (40 points)

Estimate β and γ via GMM using the identity matrix as the weighting matrix in the criterion function. Use the data to substitute personal consumption expenditures for C_t and returns on SPY for r_t .

Solution:

c. (30 points)

Compute an estimate of the optimal weighting matrix that you would use in the second stage of GMM.

Solution:

d. (10 points)

Using your result in part (c), conduct a test of overidentifying restrictions. Do you reject the model or not?

Solution: